Have you ever wondered where your family homestead was in Southern Alberta?

Maybe you'll find their name on one of these old maps.

Alberta Homestead Maps - circa 1918

General Areas Covered on Each Map in #30 of 1918 Series:

Map #63 - Township 19 & 20 - Range 1, 2 & 3 (W. of 5th M.) - Black Diamond, Lineham, Kew

Map #63A - Township 21 & 22 — Range 1, 2 & 3 (W. of 5th M.) — Midnapore, Academy, Dewinton, Sandstone, Millarview, Priddis

Map #64 - Township 23 & 24 — Range 1, 2 & 3 — Empress, Vandyne

Map #64A - Township 25 & 26 — Range 1, 2 & 3 — Acadia Valley

Credit: Cummins Rural Directory Map

Would you like to see what the area looks like today?

Any parcel of land in Alberta can be located by its legal land description which is based on the Alberta Township Survey system. It is a grid network dividing the province into equal-sized parcels of land.

On a side column of the map you will find the Township (Tp) number.

Provide us with the **township number** (on the side colunn) and the **range number** (R - on the bottom of the map) **along with the name you are interested in**.

Send a check for \$30 U.S. (\$35 Can.) and \$10 U.S. \$12 Can.) for each additional name to:

Historical Research Centre

1115-8 Ave. S.

Lethbridge, Alberta, Canada T1J1P7

Phone 403 328 3824

We will send you in jpeg form: (or hard copy if you prefer snail mail)

- **1**—A topographical map view of the area.
- 2 A google earth view from space of the area today
- **3** Directions on how to reach the site

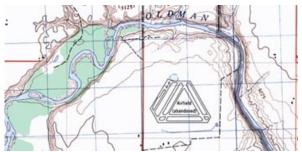
Check out the next page to see an example.

Here is an example of what you get:

Let's say you wanted to find the site of the old Pearce Air Base where air crew from across the British Commonwealth were trained during World War II.

Once you tell us the township and the range numbers we will send you the following in jpeg form. (or hard copy if you prefer snail mail)

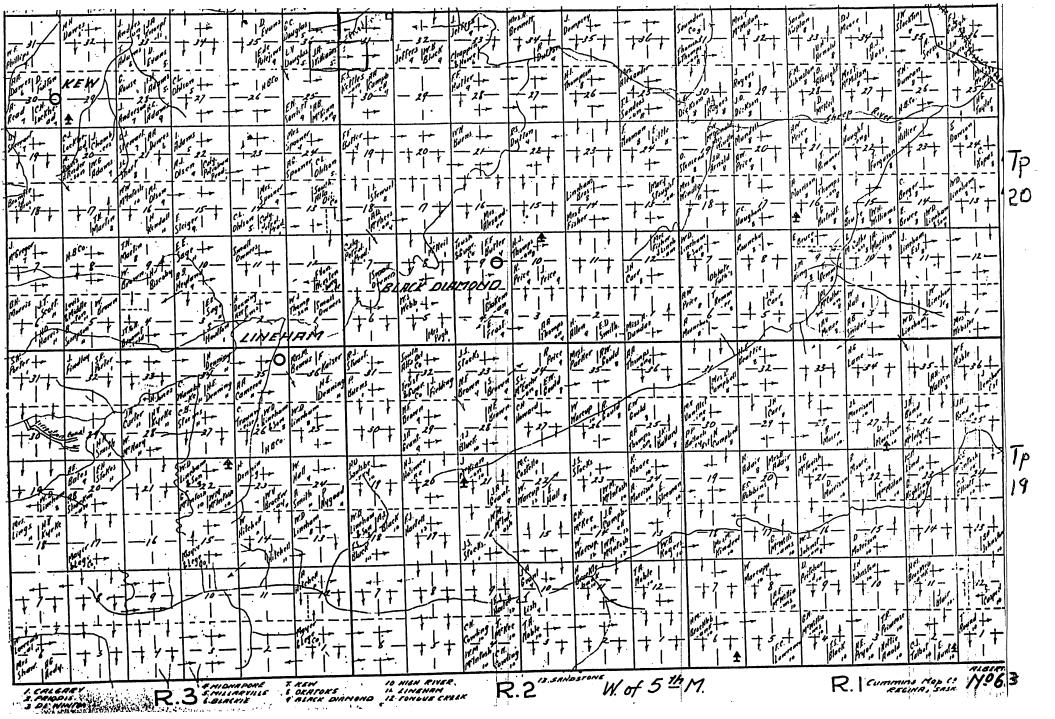
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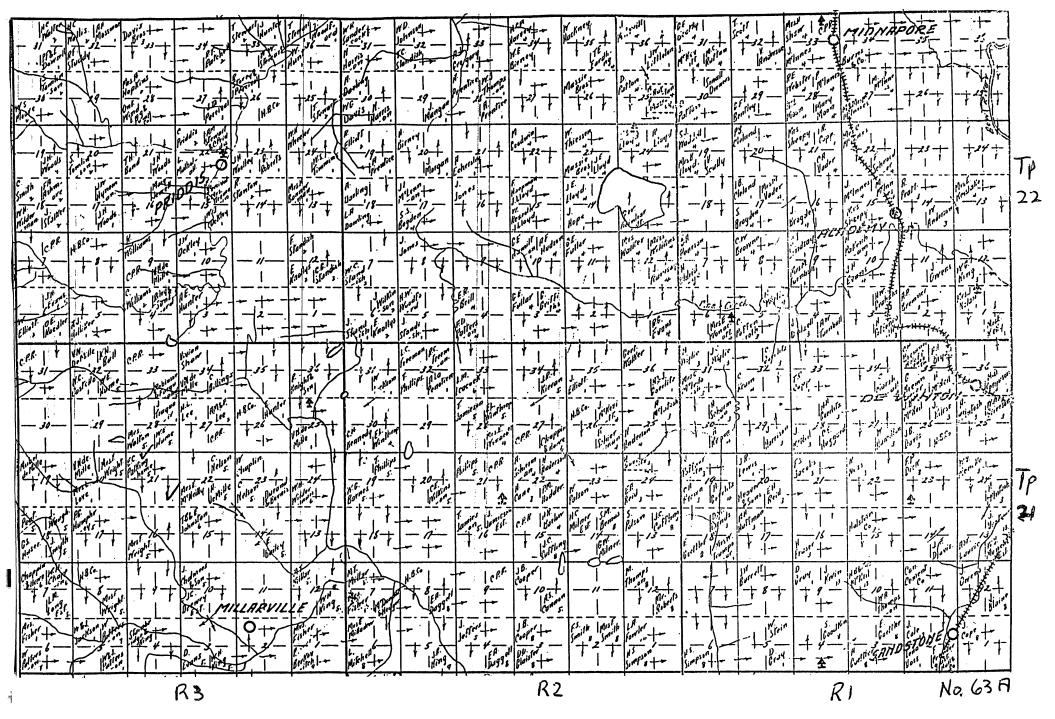


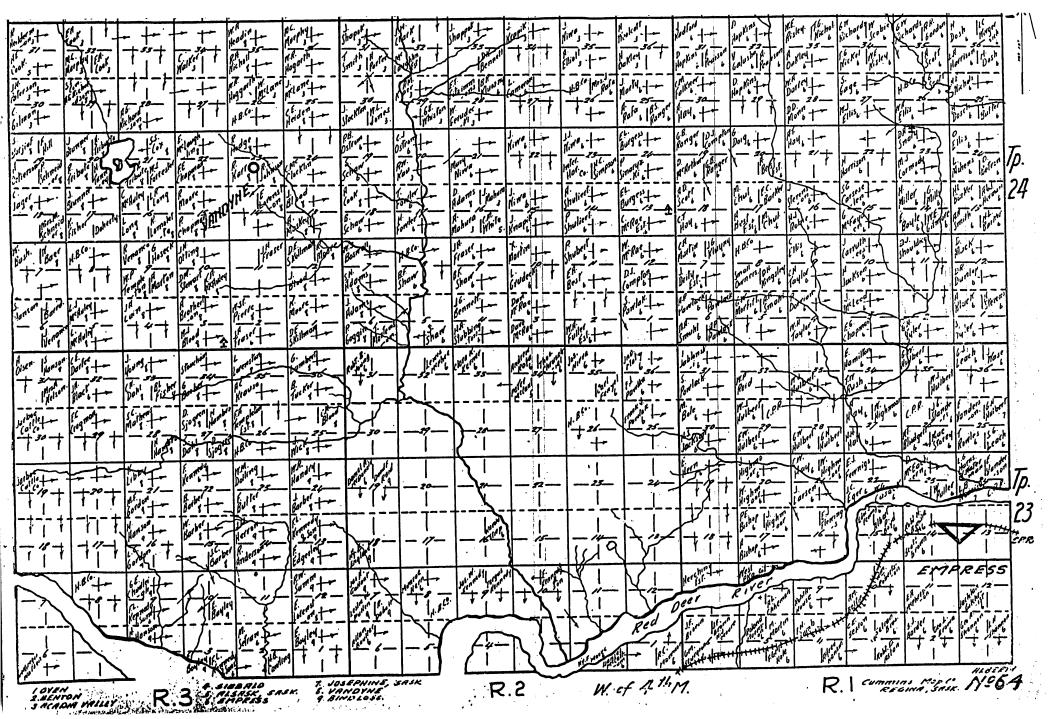


- 2 A google earth view from space of the area today
- 3 -Directions on how to reach the site









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